

Astrometric Follow-Up of GPI Discoveries

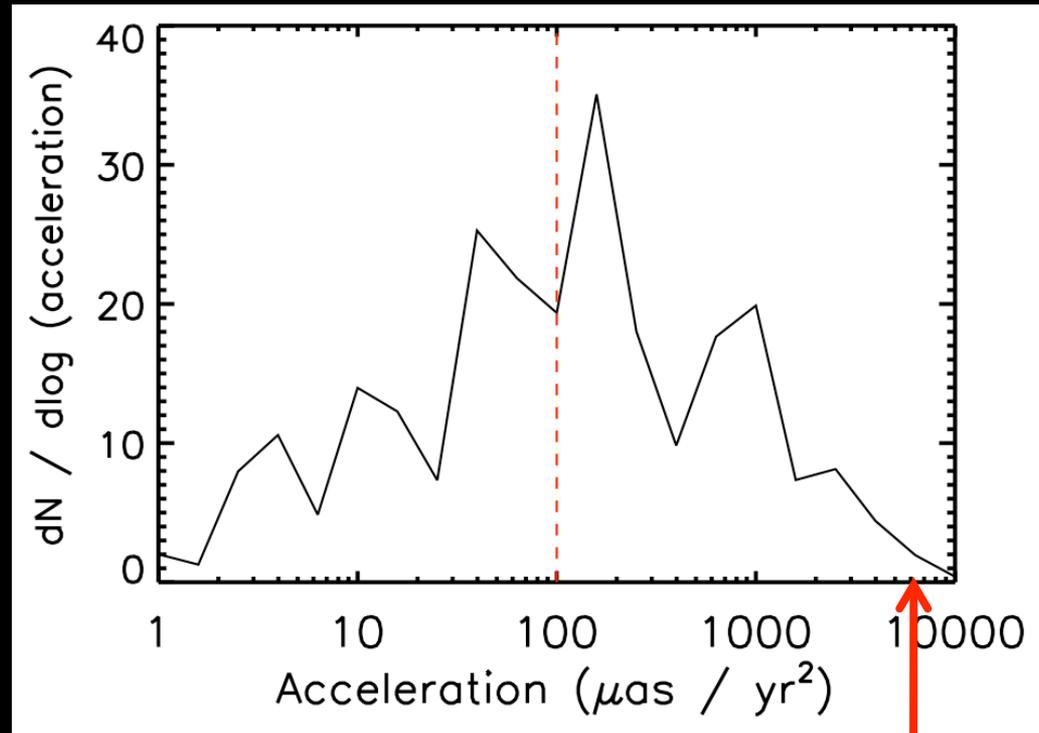
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- ◆ Astrometric follow-up of GPI planets permits measurement of planet mass for individual planets
- ◆ Astrometric signal divided by Doppler signal goes as semi-major axis to the $3/2$ power, favoring astrometric over Doppler followup for planets in wide orbits
- ◆ GPI targets young, active stars, for which astrophysical radial velocity jitter is significantly higher than the instrumental error ($\gg 1$ m/s)
- ◆ Ground-Layer Adaptive Optics with 2-5' field ideal for high-precision, robust astrometry
- ◆ Need particular stiffness in imager optomechanics

Histogram of Astrometric Acceleration for Expected GPI Sample

- D. Savransky generated simulated orbits for suite of planets observable by GPI
- Red line marks best available single-star astrometric precision (Keck AO, crowded field)

GPI Astrometric Acceleration

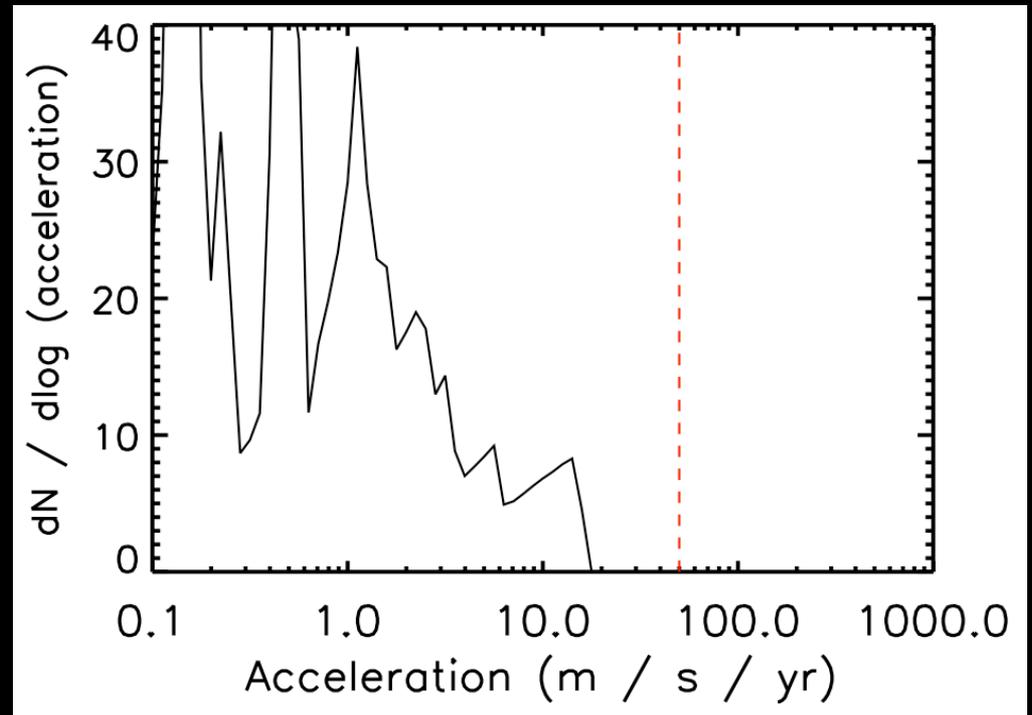


Large accelerations possible, but typically do not last long (so minimal excursion)

Histogram of Doppler Acceleration for Expected GPI Sample

- Red dashed line marks typical Doppler precision for young, active stars (50 m/s)

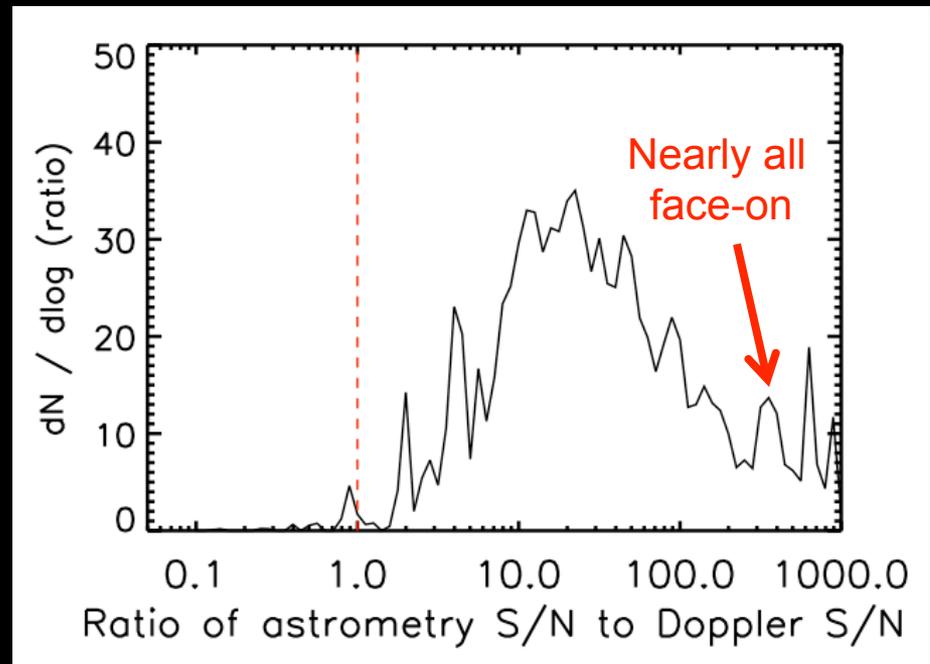
GPI Doppler Acceleration



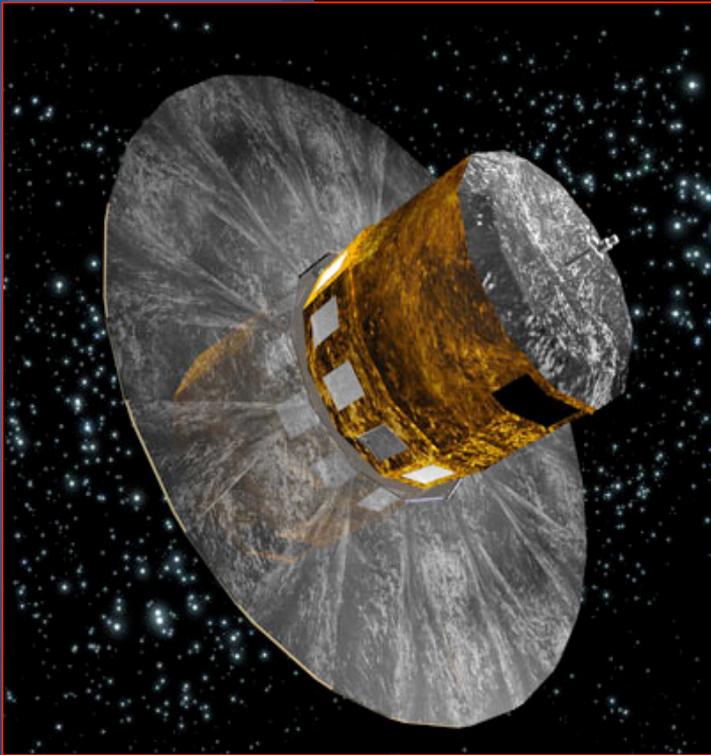
Histogram of Ratio of S/N on Acceleration for Astronomy vs. Doppler

- Histogram of the ratio of S/N on acceleration measurement using astrometry vs. the S/N on acceleration using Doppler, for simulated GPI sample
- Assumes measurement noise of 50 m/s for Doppler and 100 μ s for astrometry
- Includes extra noise factor of 3.8 for astrometry due to taking derivative of position rather than velocity
- Assumes comparable exposure times and observing strategies for both follow-up program techniques, and a cadence of \sim 3 months

Ratio of S/N, Astrometry vs. Doppler



Advantages of Astrometric Measurements from the Ground



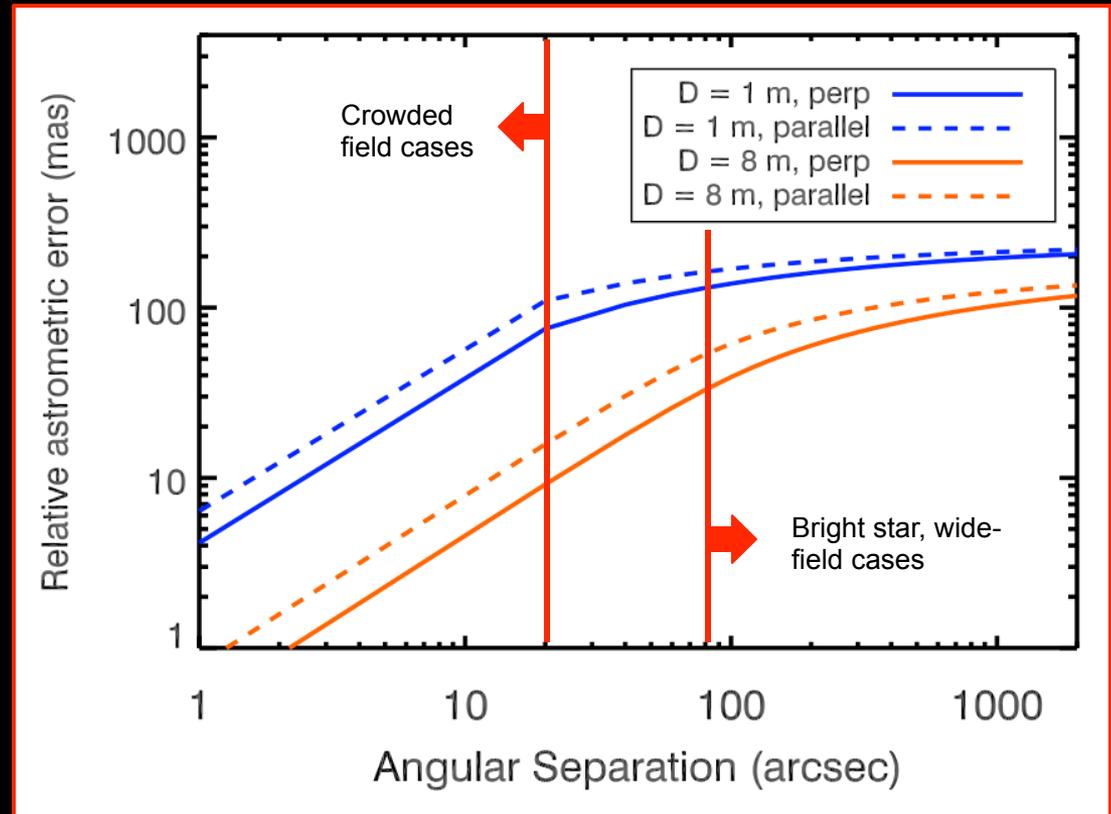
- ◆ GAIA will measure the positions of bright stars ($V < 10$) to better than $10 \mu\text{as}$ single-axis precision over its mission lifetime, **but is not targeted**.
- ◆ Targeted, ground-based astrometric surveys can be valuable with $< 100 \mu\text{as}$ performance for bright stars.

Science Cases:

- ◆ Follow-up of radial velocity discoveries **with known cadence** to constrain mass of companions
- ◆ Discovery of low-mass companions:
 - ~ $50 \mu\text{as}$ for nearby brown dwarfs
 - ~ $10 \mu\text{as}$ for nearby massive planets

Differential Tip/Tilt Jitter is a Concern for Ground-Based Bright Star Astrometry

- ◆ Differential Tip/Tilt Jitter is the error in measuring relative positions of stars due to high-altitude atmosphere
- ◆ DTTJ averages down with square root of exposure time



Relative astrometric error between two stars due to DTTJ

Astrometric Error Terms

Achromatic differential atmospheric refraction

$$\delta R \approx \Theta_{\text{FoI}}[\text{rad}] \times 44'' / \cos^2 z$$

Fritz+10

Θ = astrometric baseline (rad)

z = zenith angle

δR = IR DAR image shift (mas)

A full linear transformation reduces this to the second-order effect:

$$\delta R = (1.2 \mu\text{as}) \theta^2$$

Or ~ 30 mas for $\theta = 5'$ in i-band

- But this can be fitted and removed with atmospheric models at the μas level (Fritz+10)

Chromatic differential atmospheric refraction

$$(n - 1) \times 10^6 = 64.328 + \frac{29498.1 \times 10^{-6}}{146 \times 10^{-6} - s^2} + \frac{255.4 \times 10^{-6}}{41 \times 10^{-6} - s^2}$$

Trippe+10

Can be fitted with atmospheric models including temperature and pressure to $\sim 100 \mu\text{as}$ level for i-band for individual stars at $z = 60^\circ$

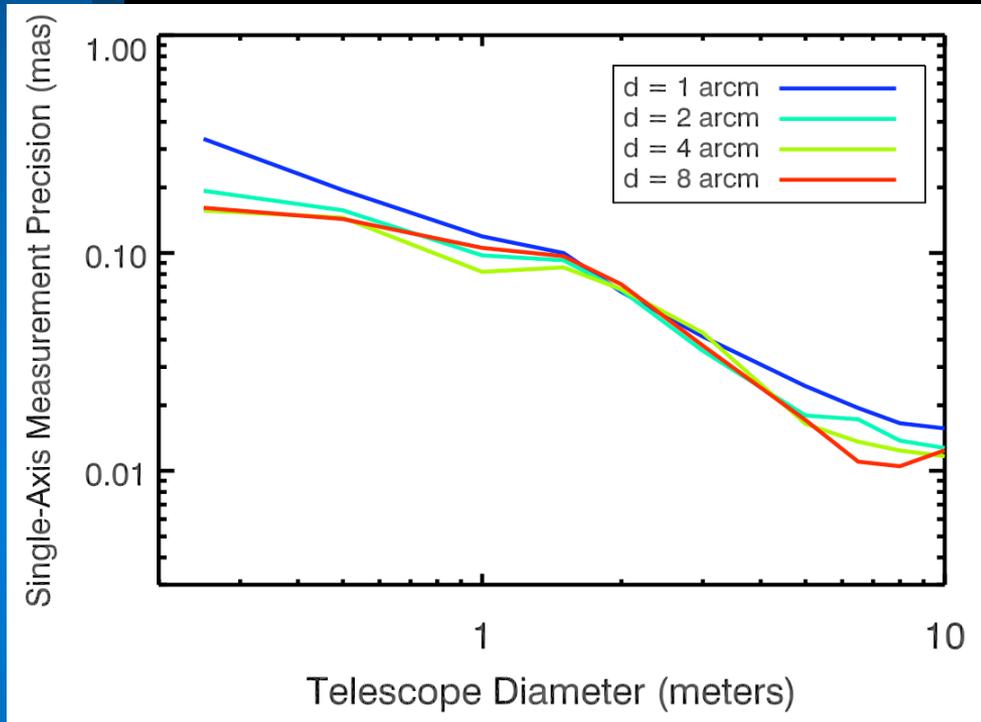
Temperatures of background stars need to be known to ~ 100 K

Diffraction spikes can be used to constrain the spectrum of reference stars

Error is only in zenith direction and **averages down with many reference stars**

PSF crowding errors are negligible for widely-spaced reference stars

Case #1: $V = 8$ bright star at 20 deg galactic latitude

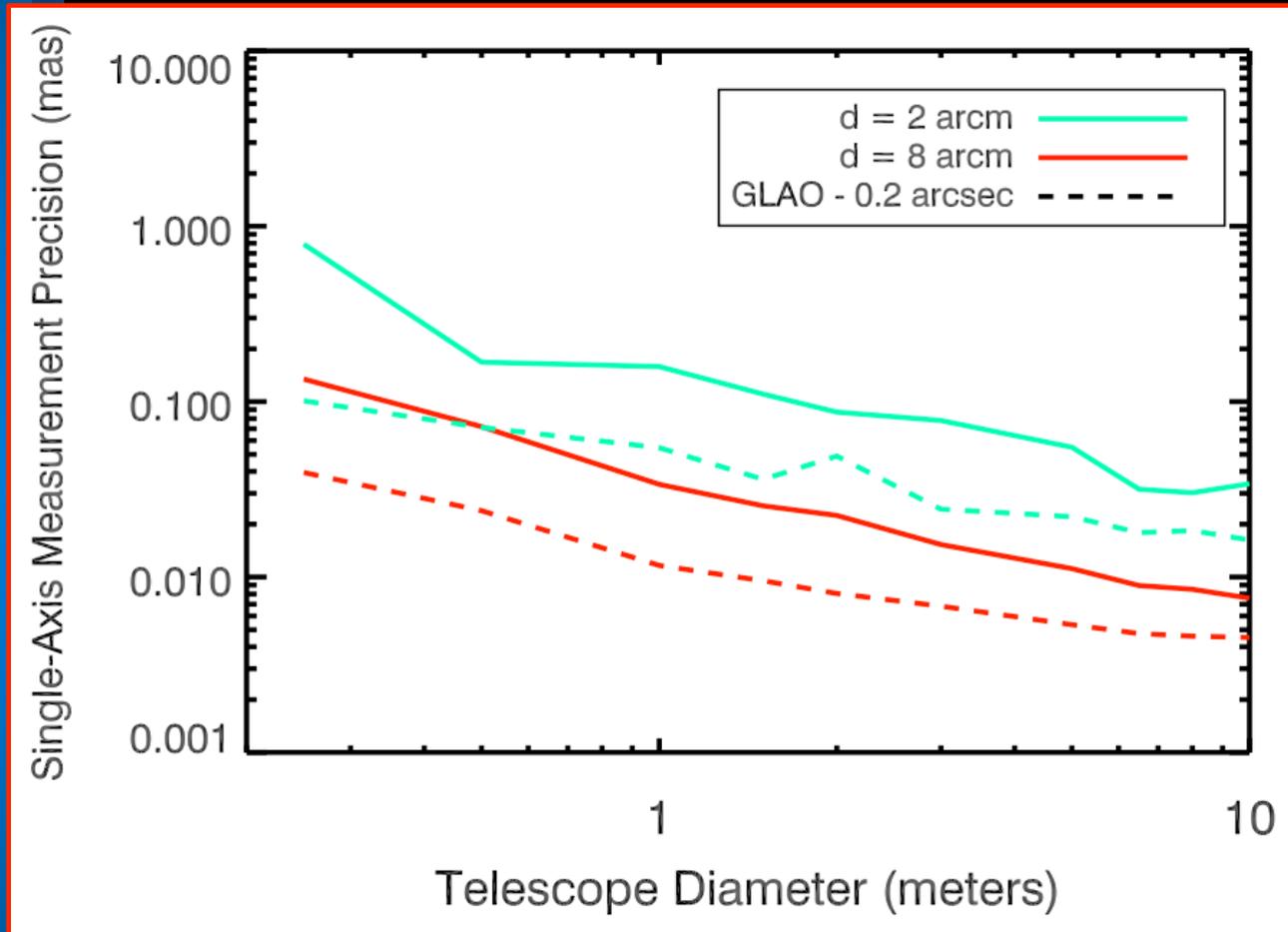


- ◆ Includes DAR, chromatic DAR, Differential T/T jitter, and SNR of stars
- ◆ 1 hour exposure
- ◆ $V = 8$ central star
- ◆ Reference field: Bahcall & Soneira (1980) star count model to $V = 22$
- ◆ Seeing = 0.8" FWHM

Relative astrometric precision of $\sim 50 \mu\text{as}$ is possible on small telescopes, when large numbers of reference stars are used (> 300) and *systematic effects are ignored*.

Advantages of large telescopes are **reduced** due to CDAR noise, assuming broadband I filter

Ground-Layer Adaptive Optics Can Improve Astrometric Performance



GLAO reduces error by a factor of ~2-3 by increasing SNR of background reference stars.

Summary

1. For relative astrometry on bright stars, larger telescopes and *larger field diameters* improve performance
2. ~20-50 μs relative astrometric precision can be achieved on $V < 10$ stars with small telescopes ($D < 3$ m) and large fields of view ($d > 8'$).
3. Medium-field GLAO or MCAO can improve performance to 10-30 μs for Gemini in 1 hour integrations.
4. Diffractive pupil “fixes” MCAO – 10 μs precision possible for $b < 10$.